



PRODUCTIVITY MEASUREMENT, R&D ASSETS AND MARK-UPS IN OECD COUNTRIES

Paul Schreyer and Belen Zinni
OECD Statistics and Data Directorate

Economic Measurement Group Workshop
University of New South Wales, Nov 2018



- **SNA 2008: R&D capitalisation**
- **Added investment and GDP**
- **Added source of capital services**
- **Effect on MFP?**





Is R&D special?

- ‘Shifter’ rather than individual contributor
- Upfront investments, sunk costs
- Non-constant returns, mark-ups
- Hard to measure, much own-account production of R&D
 - Value of investment = value of costs
 - Volume of investment = volume of inputs





Questions

- Can we treat R&D capital services as normal input?
- Can we reject non-constant returns to scale?
- What can we say about mark-ups
 - Over marginal costs?
 - Over average costs?



R&D as a 'shifter'

- Restricted cost function

$$C(Q, w_X, R, t) = \min_X \left(\sum_i w_{X_i} X_i \mid f_Q(X, R, t) \geq Q \right)$$

Q : output

X : non-R&D inputs

w_X : price of R&D inputs

R : R&D input



Productivity measurement

- Cost minimisation for non-R&D inputs

$$\frac{\partial \ln C(Q, w_X, R, t)}{\partial \ln w_{X_i}} = \frac{w_{X_i} X_i(Q, w_X, R, t)}{C}$$

- R&D inputs – measured or shadow values?

$$\frac{\partial C(Q, w_X, R, t)}{\partial R} \equiv -w_{RS} = (?)w_R$$



Productivity measurement

- Differentiating cost function
- Obtain growth accounting equation

$$\frac{d \ln Q}{dt} = \epsilon \left(\sum_i \frac{w_{X_i} X_i}{C} \frac{d \ln X_i}{dt} - \frac{w_{RS} R}{C} \frac{d \ln R}{dt} + \frac{\partial \ln C}{\partial t} \right)$$



Problems: endogeneity and errors in variables

- Issues around reverse regression – Diewert and Fox (2008)

$$\Delta \ln X^t = \frac{1}{\epsilon} \Delta \ln Q^t - \frac{w_{RS} R}{C} \Delta \ln R^t - \Delta \pi^t$$

$$\Delta \ln Q^t = \epsilon \left[\Delta \ln X^t + \frac{w_{RS} R}{C} \Delta \ln R^t + \Delta \pi^t \right]$$

$$\Delta \ln X^t = 1.008 + 0.533 \Delta \ln Q^t - 0.045 \Delta \ln R^t; \text{adj} R^2 = 0.65; DF = 564$$

(0.316) (0.026) (0.008)

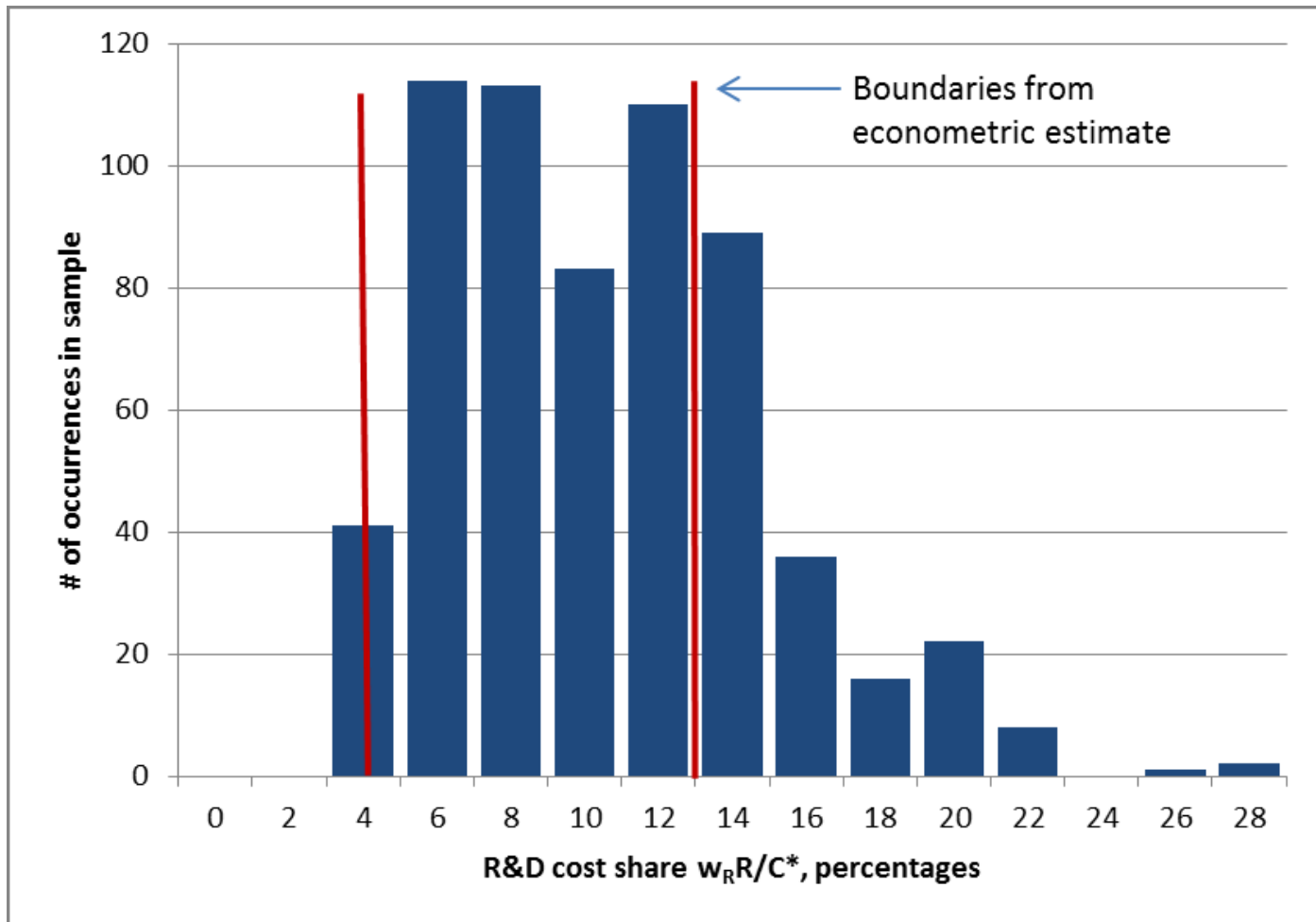
$$\Delta \ln Q^t = 1.011 + 0.797 \Delta \ln X^t + 0.115 \Delta \ln R^t; \text{adj} R^2 = 0.77; DF = 564.$$

(0.388) (0.039) (0.009)



...no strong arguments for econometric measure of shadow price for R&D...

Cost-elasticities of R&D: distribution of unrestricted measures and econometric results





...but returns to scale are retained...

$$\begin{aligned}\Delta \ln Z^{*t} &= \frac{1}{\epsilon^*} \Delta \ln Q^t - \Delta \pi^t, \\ \Delta \ln Q^t &= \epsilon^* (\Delta \ln Z^{*t} + \Delta \pi^t); \end{aligned}$$

Where standard cost-share weighted inputs are:

$$\Delta \ln Z^{*t} \equiv 0.5 \left(\frac{C^t}{C^{*t}} + \frac{C^{t-1}}{C^{*t-1}} \right) \Delta \ln X^t + 0.5 \left(\frac{w_R^t R^t}{C^{*t}} + \frac{w_R^{t-1} R^{t-1}}{C^{*t-1}} \right) \Delta \ln R^t$$

- Again direct and reverse estimates
- Various combinations of fixed effects for countries and years
- 12 results between 0.8 and 1.6
- We settle for geometric average $\epsilon^*=1.2$
- Broadly in line with other results e.g., Diewert and Fox (2008), Basu and Fernald (1997)



...de-composition of MFP growth...

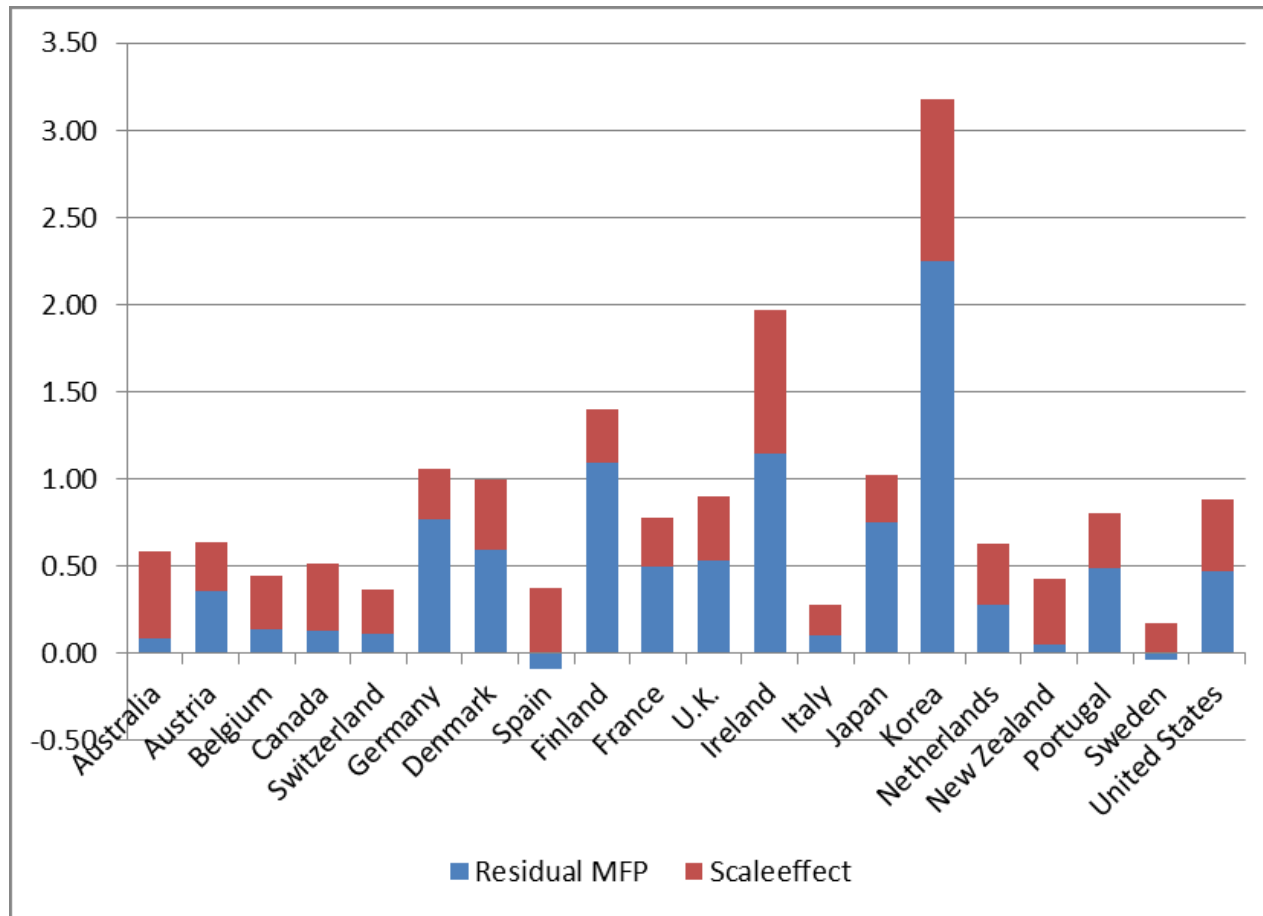
$$\begin{aligned}MFP^t &= \Delta \ln Q^t - \Delta \ln Z^{*t} \\ &= (1 - 1/\epsilon^*) \Delta \ln Q^t + \Delta \pi_S^t\end{aligned}$$

$(1 - 1/\epsilon^*) \Delta \ln Q^t$: scale effect
 $\Delta \pi_S^t$: 'pure' productivity effect



...both effects are important...

Scale effects and residual MFP,
Average annual percentage change, 1985-2016





...policy relevance...

- **Effect of demand on productivity**
 - longer-term demand effects (eg from rising income inequality and declining average propensity to consume (Summers 2015) or precautionary savings by low incomes (Auclert and Rognlie 2018))
 - Short term procyclical nature of productivity growth Basu and Fernald (1997)
- **Market size matters for MFP**: positive effects of expanding trade and vice versa
- Increasing returns to scale imply the existence of **mark-ups over marginal costs** – relevant for competition policy?



...mark-ups over marginal costs...

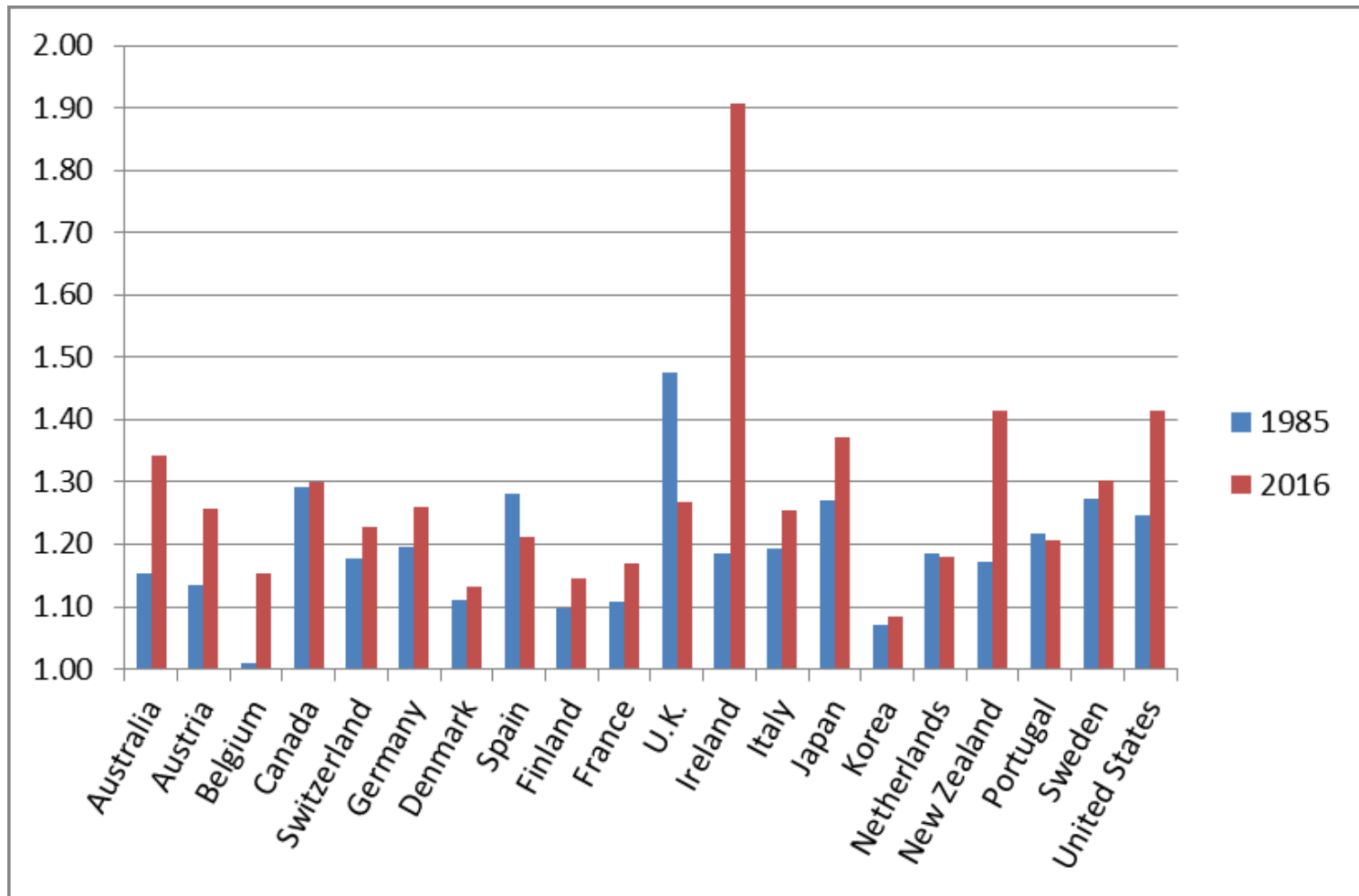
$$1 + m^{*t} = \epsilon^* \left(1 - \frac{M^{*t}}{P_Q^t Q^t} \right)^{-1} = \epsilon^* \left(1 + \frac{M^{*t}}{C^{*t}} \right).$$

- M^{*t} = nominal value of output at basic prices minus labour compensation minus user costs of capital
- **Average mark-up factor** $1+m^{*t}$, across all countries and years is around 1.3 or a 30% addition to marginal costs
- **Possible reasons:**
 - Need to cover average costs
 - Pure rents
 - Unmeasured inputs (KBC)
 - R&D services from headquarters
 - Under-stated returns to measured capital....



...have been rising nearly everywhere...

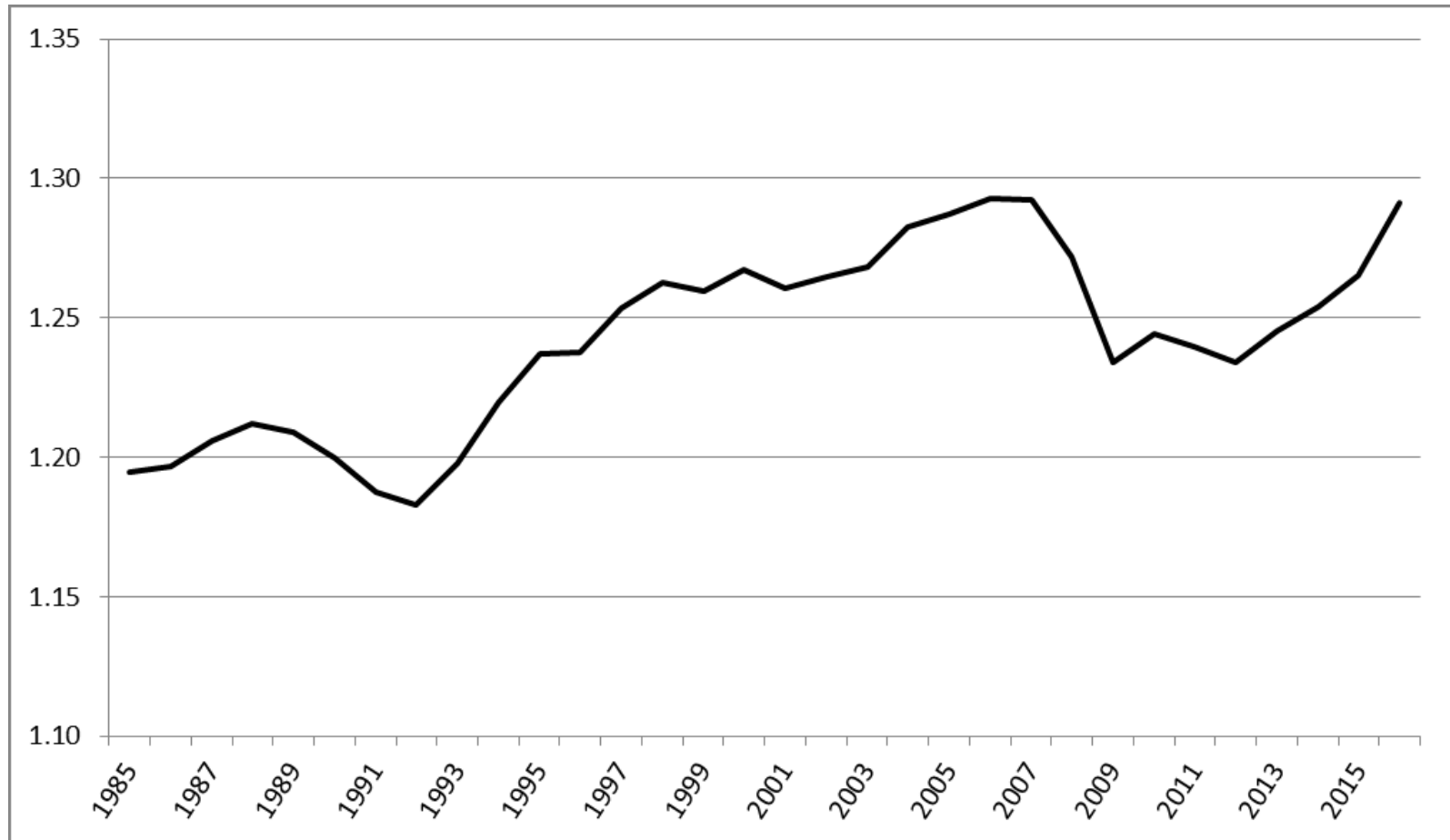
Mark-ups over marginal costs





...time profile

Mark-ups over marginal costs, OECD unweighted average





In conclusion

- **R&D capital stock measures** now widely available in OECD countries
- **Measurement** of R&D capital services more **complicated** than other assets, and potentially R&D has a different role in production
- Established **index number approach** still appears **sensible**
- **Evidence for moderately increasing returns** at the aggregate economy level
- This implies **effect from output and demand on MFP**
- The dual picture is **mark-ups** over marginal and average costs that have trended upwards
- This chimes well with effects of **globalisation and digitalisation** but other causes possible as well.



- Working paper with latest data from the 2018 *OECD Productivity Compendium*

Thank you!

